

**Topics : Sequence & Series, Trigonometric Ratio & Trigonometric Equations**

Type of Questions		M.M., Min.
Single choice Objective (no negative marking) Q.1,2	(3 marks, 3 min.)	[6, 6]
Multiple choice objective (no negative marking) Q.3	(5 marks, 4 min.)	[5, 4]
Subjective Questions (no negative marking) Q.4,5,6,7	(4 marks, 5 min.)	[16, 20]

- If  $abcd = 1$ , where  $a, b, c, d$  are positive reals, then the minimum value of  $a^2 + b^2 + c^2 + d^2 + ab + ac + ad + bc + bd + cd$  is  
 (A) 6 (B) 10 (C) 12 (D) 20
- The A.M of the nine numbers in the given set  $\{9, 99, 999, \dots, 999999999\}$  is a 9 - digit number  $N$ , all whose digits are distinct then, the number  $N$  does not contain the digit.  
 (A) 0 (B) 2 (C) 5 (D) 9
- If the first & the  $(2n + 1)^{\text{th}}$  terms of an A.P., a G.P. & an H.P. of positive terms are same and their  $(n + 1)^{\text{th}}$  terms are  $a, b$  &  $c$  respectively, then:  
 (A)  $a = b = c$  (B)  $a \geq b \geq c$  (C)  $a + c = 2b$  (D)  $ac = b^2$ .
- If  $\sin\theta + \sin^2\theta = 1$ , then prove that  $\cos^2\theta + \cos^4\theta = 1$
- Prove that :  $\frac{1 - \sin\theta}{1 + \sin\theta} = (\sec\theta - \tan\theta)^2$
- Find  $\theta$  lying in the interval  $[0, 2\pi]$  satisfying the following equations :  
 (i)  $\sin\theta = \frac{1}{2}$  (ii)  $\cos\theta = \frac{\sqrt{3}}{2}$  (iii)  $\tan\theta = \sqrt{3}$   
 (iv)  $\sin\theta = -\frac{1}{\sqrt{2}}$  (v)  $\cos\theta = -\frac{1}{2}$  (vi)  $\tan\theta = -\frac{1}{\sqrt{3}}$
- Find the sum to 'n' terms and the sum to infinite terms of the series

$$\frac{3}{1^2} + \frac{5}{1^2 + 2^2} + \frac{7}{1^2 + 2^2 + 3^2} + \frac{9}{1^2 + 2^2 + 3^2 + 4^2} + \dots \text{upto } n \text{ terms}$$



# Answers Key

1. (B) 2. (A) 3. (B) (D) 6. (i)  $\frac{\pi}{6}, \frac{5\pi}{6}$

(ii)  $\frac{\pi}{6}, \frac{11\pi}{6}$  (iii)  $\frac{\pi}{3}, \frac{4\pi}{3}$  (iv)  $\frac{5\pi}{4}, \frac{7\pi}{4}$  (v)  $\frac{2\pi}{3}, \frac{4\pi}{3}$

(vi)  $\frac{5\pi}{6}, \frac{11\pi}{6}$  7.  $S_n = \frac{6n}{n+1}, S_\infty = 6$

